

Physics. — *On the structure of the spectrum of ionized Argon (Ar. II).*

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1. *Introduction.*

In former papers in these Proceedings ¹⁾ I have communicated a partial analysis of the spectrum of ionized Argon (Ar. II), dealing with the main spectral terms which are in excellent accord with the theoretical expectations. It was possible to account for 180 lines of the spectrum.

The present paper deals with a further analysis, which was greatly facilitated by the investigations on the ZEEMAN-effect in this laboratory ²⁾. The published data of a list of unclassified lines and some unpublished data give the starting point for the detection of the other termsystems which may be expected according to the theory of the complex spectra.

2. *Wavelength measurements.*

Our spectrograms had already shown that many more Ar. II lines can be obtained than are reported by former observers. We undertook therefore a new measurement of the whole spectrum. This work was already finished for a large part. More recently ROSENTHAL ³⁾ has published an extensive list of lines of the "blue" Argonspectrum. Our spectrograms show the higher stages of ionisation (Ar III, IV) much more developed. Our measurements are in very good agreement with the determinations reported by ROSENTHAL. Because his dispersion is somewhat larger (we had a dispersion 8,8 Å/m.m.) we prefer his data and we have used it in the further analysis.

For the interpretation of the extreme ultra violet spectrum the measurements of COMPTON, BOYCE and RUSSELL ⁴⁾ have been used.

3. *Structure of the spectrum.*

The energy levels of the single ionized Argonatom (Ar. II) are built upon the ground levels of the double ionized atom (Ar. III). These ground levels are: ³P, ¹D and ¹S. According to the theory of the complex

¹⁾ T. L. DE BRUIN: Proceedings Amsterdam **31**, 593, 1928, **31**, 771, 1928.

²⁾ C. J. BAKKER, T. L. DE BRUIN and P. ZEEMAN: Proceedings Amsterdam **31**, 780, 1928.

³⁾ A. H. ROSENTHAL: Annalen der Physik. (5) **4**, S. 49, 1930.

⁴⁾ K. T. COMPTON, J. C. BOYCE and H. N. RUSSELL: Phys. Rev. **32**, 179, 1928.

spectra the following energy levels in the Ar. II atom can be expected. (Table 1).

TABLE I. Energy levels Ar II.

Electronic configuration					Symbol	Basic term: 3P		Basic term: 1D	Basic term: 1S					
1s	2s	2p	3s	3p		3d	4s	4p	4d	5s	Terms		Terms	Terms
											Quartet	Doublet	Doublet	Doublet
2	2	6	2	5										
2	2	6	2	4	1					$s^2 p^5$		P		
2	2	6	2	4	1					$s^2 p^4 . 3d$	F D P	F D P	G F D P S	D
2	2	6	2	4		1				$s^2 p^4 . 4s$	P	P	D	S
2	2	6	2	4			1			$s^2 p^4 . 4p$	D P S	D P S	F D P	P
2	2	6	2	4				1		$s^2 p^4 . 4d$	F D P	F D P	G F D P S	D
2	2	6	2	4					1	$s^2 p^4 . 5s$	P	P	D	S

One expects thus three term systems:

- $({}^3P)$ $3p, 4p, 5p, 3d, 4d, 4s, 5s \dots$ 72 levels.
- $({}^1D)$ $4p, 5p, 3d, 4d, 4s, 5s \dots$ 34 levels.
- $({}^1S)$ $4p, 5p, 3d, 4d, 4s, 5s \dots$ 10 levels.

In the former paper we have reported of the first group 46 levels. This term system with limit 3P is now extended. The 3 d - and 5 p -levels have been added in the present paper and further higher levels originating in a 6 s - and 5 d -coupling have been detected.

Table 2 (see p. 200) presents all the levels with limit 3P .

The detection of the term group ${}^2F, {}^2D, {}^2P$ with limit 1D made it possible to extend the analysis. As an example several combinations with these levels are presented in table 3. (See p. 202).

Table 4 (see p. 204) contains the term levels belonging to the second term system with limit 1D .

Table 5 (see p. 204) presents the terms which belong to the third system with limit 1S .

Some other terms have been detected but it was not yet possible to determine the nature of these levels f.i.

$$a {}^2P_2 = 45162,50$$

$$339,80$$

$$a {}^2P_1 = 44822,70$$

The interpretation of these levels should be reserved. It is quite possible that still other atom configurations play a role.

The Ar. II spectrum gives interesting data for the theory of series limits, inverted and not inverted terms, anormal coupling, etc. We will report over this subject in a later paper.

TABLE 2. Termtable Ar II (Limit $3P$).

Nº.	Term	Termvalue	Term difference	Theory	Nº.	Term	Termvalue	Term difference	Theory
1	$2P_2$	224721		} 3p	36	$2P_2$	64515.02		} 4p
2	$2P_1$	223290	1431		37	$2P_1$	65047.98	-532.96	
3	$4D_4$	92427.28		} 3d	38	$4D_4$	41079.08		} 4d
4	$4D_3$	92273.30	153.98		39	$4D_3$	40957.28	121.80	
5	$4D_2$	92123.68	149.62		40	$4D_2$	40768.67	188.61	
6	$4D_1$	92016.65	107.03		41	$4D_1$	40562.38	206.29	
7	$2D_3$	73667.15			42	$2D_3$	32197.69		
8	$2D_2$	74279.58	-612.43		43	$2D_2$	32042.57	155.12	
9	$4F_5^1)$	82568.08			44	$4F_5$	39661.58		
10	$4F_4$	82037.49	530.59		45	$4F_4$	39130.03	531.55	
11	$4F_3$	81646.87	390.62		46	$4F_3$	38680.44	449.59	
12	$4F_2$	81383.02	263.85		47	$4F_2$	38414.11	266.33	
13	$4P_1$	79543.06			48	$4P_1$	38583.18		
14	$4P_2$	79768.71	225.65		49	$4P_2$	38284.18	-299.00	
15	$4P_3$	80260.26	491.55	50	$4P_3$	37863.58	-420.60		
16	$2F_4$	75260.70?		51	$2F_4$	37938.38			
17	$2F_3$	74606.87	653.89	52	$2F_3$	37165.18	772.50		
18	$2P_1$	80044.50		53	$2P_1$	34819.88			
19	$2P_2$	79085.59	-958.91	54	$2P_2$	34161.88	-658.00		
20	$4P_3$	90512.88		} 4s	55	$4P_3$	43160.38		} 5s
21	$4P_2$	89668.48	844.40		56	$4P_2$	42532.62	627.76	
22	$4P_1$	89152.78	515.70		57	$4P_1$	41803.48	729.14	
23	$2P_2$	86510.88			58	$2P_2$	41664.18		
24	$2P_1$	85496.14	1014.74		59	$2P_1$	40840.18	824.00	

1) This term $3d^4F$ is also found by ROSENTHAL.

TABLE 2 (Continued).

N ^o .	Term	Termvalue	Term difference	Theory	N ^o .	Term	Termvalue	Term difference	Theory
25	⁴ P ₃	69711.13	307.75 357.30	4p	60	⁴ P ₃ ¹⁾	35595.29	251.19 288.90	5p
26	⁴ P ₂	69403.38			61	⁴ P ₂	35344.10		
27	⁴ P ₁	69046.08			62	⁴ P ₁	35055.20		
28	⁴ D ₄	67520.58	439.36		63	⁴ D ₄ ¹⁾	34769.50	383.07	
29	⁴ D ₃	67081.22	494.57		64	⁴ D ₃	34386.43	405.01	
30	⁴ D ₂	66586.65	260.32		65	⁴ D ₂	33981.42	489.98	
31	⁴ D ₁	66326.33			66	⁴ D ₁	33491.44		
32	² D ₃	66024.28	663.09		67	² D ₃			
33	² D ₂	65361.19			68	² D ₂	34247.42		
34	⁴ S ₂	63705.60			69	⁴ S ₂			
35	² S ₁	63665.08		70	² S ₁	33047.50			
	⁴ P ₃	25942.33	325.75	6s	71	² P ₂	34648.66	89.96	5p
	⁴ P ₂	25616.58	972.24		72	² P ₁	34558.70		
	⁴ P ₁	24644.34				² P ₂	20337.50	97.90	5d
	² P ₂	24722.85	591.35			² P ₁	20239.60		
	² P ₁	24131.50				² D ₃	20169.10		

Table 6 (see p. 205) contains a list of new classified lines.

From the termtables and the resonance lines it is now possible to calculate and to interpret the spectrum in the extreme ultra violet. COMPTON, BOYCE and RUSSELL have already given an interpretation of several of these lines. The present classification deviates in several points from that given by those authors.

Table 7 (see p. 210) presents the classification of the extreme ultra violet spectrum.

The following figure gives a survey of the three term systems. For

1) These terms 3d ⁴P, 5p ⁴P and 5p ⁴D are given by ROSENTHAL. It seems however that a farther verification of these terms is necessary.

TABLE 3.

$4p \ ^1D$	2F_4	2F_3	2P_2	2P_1	3D_3	3D_2
	54224.21	54353.62	52540.70	51938.20	51361.07	51406.72
$4s \ ^2P_2 \ (^3P)$		000.u	8.	5.	2.	2.
86510.88	—	3108.82	2942.90	2891.61	2844.12	2847.81
		32157.25	33970.18	34572.70	35149.95	35104.41
$4s \ ^2P_1 \ (^3P)$			6.	6.		4.
85496.14	—	—	3033.52	2979.05	—	2932.60
			32955.44	33557.99	—	34089.49
$4s \ ^2D_2 \ (^1D)$		9.	7.	8.	6.	8.
76134.36	—	4589.93	4237.23	4131.73	4035.47	4042.91
		21780.74	23593.70	24196.13	24773.29	24727.70
$4s \ ^2D_3 \ (^1D)$		15.	6.	8.	9.	4.
75912.01	4609.60	4637.25	4277.55	—	4072.01	4079.60
	21687.80	21558.49	23371.31	—	24550.99	24505.31
$3d \ ^2P_1 \ (^3P)$			4.	5.		4.
80044.50	—	—	3634.83	3556.91	—	3490.89
			27503.79	28106.29	—	28637.82
$3d \ ^2P_2 \ (^3P)$		1.	5.	4.	6.	4.
79085.59	—	4042.20	3766.13	3682.55	3605.89	3611.84
		24732.04	26544.94	27147.32	27724.53	27678.85
$3d \ ^2F_4 \ (^3P)$			—	—		—
$3d \ ^2F_3 \ (^3P)$		6.	00.u	4.	6.	2.
74606.87	4904.75	4936.13	4530.57	—	4300.66	4309.11
	20382.72	20253.15	22066.11	—	23245.73	23200.15
$3d \ ^2D_2 \ (^3P)$		6.	5.	6.	5	6.
74279.58	—	5017.16	4598.77	4474.77	4362.07	4370.76
		19926.05	21738.88	22341.27	22918.47	22872.91
$3d \ ^2D_3 \ (^3P)$		6.	3.	5.	8.	5.
73667.15	5141.83	5176.28	4732.08	—	4481.83	4490.99
	19442.89	19313.53	21126.46	—	22306.08	22260.58

TABLE 3 (Continued).

3d 2D_3 (1S)	7.		4.		6.	3.
28889.89	3946.10		4227.02		4448.88	4448.10
	25334.33	25463.73	23650.69	—	22471.28	22515.71
3d 2D_2 (1S)		3.	2.	6.	1.	3.
28887.82	—	3925.71	4226.65	4337.10	4448.47	4439.50
		25465.91	23652.76	23050.42	22473.35	22518.70
4d 2G_5 (1D)	6.					
26150.72	3561.04					
	28073.69	—	—	—	—	—
4d 2G_4 (1D)	4.	9.				
26159.59	3562.19	3545.84				
	28064.63	28194.03	—	—	25201.48	—
4d 2F_4 (1D)	7.	3.			6.	
24615.66	3376.46	3361.73			3737.89	
	29608.34	29738.08	—	—	26745.49	—
4d 2F_3 (1D)	4.	6.	1.		4.	6.
24519.80	3365.54	3350.94	3567.78		3724.51	3718.21
	29704.41	29833.83	28020.66	—	26841.56	26887.04
4d 2D_3 (1D)	3.	3.	6.		6.	4.
25074.92	3429.64	3414.46	3639.85		3803.19	3796.60
	29149.25	29278.84	27465.86	—	26286.28	26331.91
4d 2D_2 (1D)		2.	6.		5.	4.
25229.54	—	3432.64	3660.44		3825.70	3819.04
		29123.78	27311.37	26708.66	26131.62	26177.19
4d 2P_1 (1D)			3.	3.		5.
25307.94	—	—	3671.01	3754.06	—	3830.43
			27232.73	26630.29	—	26099.35
4d 2P_2 (1D)		5.	2.	5.		4.
24772.54	—	3379.48	3600.22	3680.06	—	3753.53
		29581.88	27768.19	27165.76	26588.53	26634.05
4d 2S_1 (1D)			4.	4.		
19511.54	—	—	3026.75	3082.99	—	—
			33029.15	32426.66	—	31895.18

TABLE 4. Termtable Ar II (Limit $1D$).

N ^o .	Term	Termvalue	Term difference	Theory	N ^o .	Term	Termvalue	Term difference	Theory
73	$2G_5$			} 3d	90	$2G_5$	26150.72	-8.87	} 4d
74	$2G_4$				91	$2G_4$	26159.59		
75	$2F_4$				92	$2F_4$	24615.66	95.86	
76	$2F_3$	53644.71			93	$2F_3$	24519.80		
77	$2D_3$	52419.08	494.55		94	$2D_3$	25074.92	-154.62	
78	$2D_2$	51924.53			95	$2D_2$	25229.54		
79	$2P_2$	50344.60	424.67		96	$2P_2$	24772.54	-535.40	
80	$2P_1$	49919.93			97	$2P_1$	25307.94		
81	$2S_1$	40661.40			98	$2S_1$	19511.54		
82	$2D_3$	75912.01	-222.35	} 4s	99	$2D_3$	38027.00	22.64	} 5s
83	$2D_2$	76134.36			100	$2D_2$	38004.36		
84	$2F_4$	54224.21	-129.41	} 4p	101	$2F_4$	29871.52	-21.61	} 5p
85	$2F_3$	54353.62			102	$2F_3$	29893.13		
86	$2P_2$	52540.70	602.50		103	$2P_2$	28993.46	329.00	
87	$2P_1$	51938.20			104	$2P_1$	28664.46		
88	$2D_3$	51361.07	-45.65		105	$2D_3$	28121.46	-11.32	
89	$2D_2$	51406.72			106	$2D_2$	28132.78		

TABLE 5. Termtable Ar II (Limit $1S$).

4s $2S_1$ (1S)	57446.84	
4p $2P_1$ (1S)	32421.41	358.93
4p $2P_2$ (1S)	32780.34	
3d $2D_3$ (1S)	28889.89	
3d $2D$ (1S)	28887.82	2.07

TABLE 6.
Classification of Ar II lines.

Int	λ I.Å	$\nu_{vac.}$	Termcombination	Ξ	λ I.Å	$\nu_{vac.}$	Termcombination
1	7617.86	13123.43	4p 2P_1 (3P) — 3d 2D_2 (1D)	3	6123.38	16326.34	4p 2F_3 (1D) — 5s 2D_3 (1D)
0	7440.54	13436.19	4p 2D_2 (3P) — 3d 2D_2 (1D)	00	6120.12	16335.04	3d 4F_2 (3P) — 4p 2P_1 (3P)
2	7348.11	13605.20	4p 2D_3 (3P) — 3d 2D_3 (1D)	10	6114.92	16348.93	4p 2F_3 (1D) — 5s 2D_2 (1D)
0	7284.27	13724.44	3d 2P_2 (3P) — 4p 2D_2 (3P)	4	6103.56	16379.36	3d 2P_1 (3P) — 4p 2S_1 (3P)
000	7090.55	14099.40	4p 2D_3 (3P) — 3d 2D_2 (1D)	00	6077.43	16449.78	4s 2P_1 (3P) — 4p 4P_1 (3P)
1	7077.03	14126.33	3d 4F_3 (3P) — 4p 4D_4 (3P)	00. u	6044.43	16529.58	4p 2D_2 (3P) — a 2P_1
2	7055.01	14170.42	4p 2P_2 (3P) — 3d 2P_2 (1D)	0	5950.91	16799.51	4s 2P_2 (3P) — 4p 4P_3 (3P)
2	6990.16	14301.89	3d 4F_2 (3P) — 4p 4D_3 (3P)	00. u	5843.80	17107.42	4s 2P_2 (3P) — 4p 4P_2 (3P)
6	6886.57	14517.02	3d 4F_4 (3P) — 4p 4D_4 (3P)	0	5812.81	17198.63	4p 2D_3 (1D) — 4d 2P_2 (3P)
6	6863.52	14565.77	3d 4F_3 (3P) — 4p 4D_3 (3P)	0. u	5724.37	17464.34	4s 2P_2 (3P) — 4p 4D_2 (3P)
4	6861.30	14570.48	3d 2P_2 (3P) — 4p 2P_2 (3P)	2	5577.76	17923.57	3d 2P_2 (1D) — 4p 2P_2 (1S)
4	6818.39	14662.18	4p 4D_2 (3P) — 3d 2D_2 (1D)	0. u	5625.74	17770.52	3d 2D_3 (1D) — 5p 2P_2 (3P)
3	6808.55	14683.37	3d 2P_1 (3P) — 4p 2D_2 (3P)	1	5691.71	17564.55	3d 2P_2 (1D) — 4p 2P_2 (1S)
2	6799.32	14703.30	4p 2P_1 (3P) — 3d 2P_2 (1D)	3	5305.77	18842.17	4p 2S_1 (3P) — a 2P_1
5	6756.61	14796.24	3d 4F_2 (3P) — 4p 4D_2 (3P)	3	5216.84	19163.37	4p 2D_3 (1D) — 4d 2D_3 (3P)
8	6684.36	14956.17	3d 4F_4 (3P) — 4p 4D_3 (3P)	0	5204.46	19208.96	4p 2D_2 (1D) — 4d 2D_3 (3P)
5	6666.36	14996.55	3d 2P_1 (3P) — 4p 2P_1 (3P)	3	5176.28	19313.53	3d 2D_3 (3P) — 4p 2F_3 (1D)
10	6643.79	15047.50	3d 4F_5 (3P) — 4p 4D_4 (3P)	5	5165.82	19352.64	4p 2P_2 (3P) — a 2P_2
7	6639.72	15056.73	3d 4F_2 (3P) — 4p 4D_1 (3P)	1	5162.80	19363.96	4p 2D_2 (1D) — 4d 2D_2 (3P)
8	6638.24	15060.08	3d 4F_3 (3P) — 4p 4D_2 (3P)	6	5141.84	19442.89	3d 2D_3 (3P) — 4p 2F_4 (1D)
00	6509.16	15358.73	3d 4F_2 (3P) — 4p 2D_3 (3P)	0	5125.84	19503.58	3d 2D_2 (1D) — 4p 2P_1 (1S)
3	6500.25	15379.79	3d 2P_2 (3P) — 4p 4S_2 (3P)	2	5017.63	19924.19	4s 2P_2 (3P) — 4p 4D_2 (3P)
6	6483.10	15420.47	3d 2P_2 (3P) — 4p 2S_1 (3P)	6	5017.16	19926.05	3d 2D_2 (3P) — 4p 2F_3 (1D)
2	6437.63	15529.38	3d 2P_1 (3P) — 4p 2P_2 (3P)	2	4949.45	20198.64	4p 2D_2 (3P) — a 2P_2
4	6399.23	15622.57	3d 4F_3 (3P) — 4p 2D_3 (3P)	4	4942.96	20225.16	4p 2P_1 (3P) — a 2P_1
0	6376.00	15679.49	4p 2D_3 (3P) — 3d 2P_2 (1D)	00. u	4936.13	20253.15	3d 2F_3 (3P) — 4p 2F_3 (1D)
6	6243.13	16013.19	3d 4F_4 (3P) — 4p 2D_3 (3P)	2	4914.32	20343.03	4p 2P_2 (1D) — 4d 2D_3 (3P)
2	6239.73	16021.19	3d 4F_2 (3P) — 4p 2D_2 (3P)	6	4904.75	20382.72	3d 2F_3 (3P) — 4p 2F_4 (1D)
7	6172.28	16197.00	4p 2F_4 (1D) — 5s 2D_3 (1D)	0	4888.29	20451.47	3d 2P_2 (1D) — 5p 2F_3 (1D)
3	6138.68	16285.68	$\left\{ \begin{array}{l} 3d \ ^4F_3 \ (^3P) - 4p \ ^2D_2 \ (^3P) \\ 4p \ ^2F_4 \ (^1D) - 4d \ ^2F_4 \ (^3P) \end{array} \right.$	0. u	4877.08	20498.37	4p 2P_2 (1D) — 4d 2D_2 (3P)

TABLE 6 (Continued).

Int	λ I.Å	$\nu_{vac.}$	Termcombination	Int	λ I.Å	$\nu_{vac.}$	Termcombination
3	4867.59	20538.33	4p 1D_2 (3P) — a 2P_1	5	4433.83	22547.56	3d 2D_3 (1D) — 5p 2F_4 (1D)
5	4792.12	20861.78	4p 2D_3 (3P) — a 2P_2	1. u	4401.74	22711.93	4p 2P_2 (3P) — 5s 4P_1 (3P)
5	4732.08	21126.46	3d 2D_3 (3P) — 4p 2P_2 (1D)	2. u	4394.65	22748.57	4p 4S_2 (3P) — 4d 4D_3 (3P)
2	4730.69	21132.67	4p 2S_1 (3P) — 5s 4P_2 (3P)	4	4385.08	22798.22	4s 2S_1 (1S) — 5p 2P_2 (3P)
4	4703.36	21255.47	3d 2P_1 (1D) — 5p 2P_2 (1D)	1	4379.25	22828.56	4p 2D_2 (3P) — 5s 4P_2 (3P)
4	4682.29	21351.11	3d 2P_2 (1D) — 5p 2P_2 (1D)	0	4372.50	22863.81	4p 2D_3 (3P) — 5s 4P_3 (3P)
1	4681.52	21344.63	4p 2P_2 (3P) — 5s 4P_3 (3P)	0. u	4372.09	22865.95	4p 4S_2 (3P) — 5s 2P_1 (3P)
2. u	4666.28	21424.37	4p 4D_2 (3P) — a 2P_2	6	4370.76	22872.91	3d 2D_2 (3P) — 4p 2D_2 (1D)
0. u	4649.06	21503.72	4p 4D_1 (3P) — a 2P_1	5	4367.87	22888.05	4s 2S_1 (1S) — 5p 2P_1 (3P)
6	4637.25	21558.49	4s 2D_3 (1D) — 4p 2F_3 (1D)	5	4362.07	22918.47	3d 2D_2 (3P) — 4p 2D_3 (1D)
3	4611.25	21680.04	3d 2P_1 (1D) — 5p 2P_1 (1D)	2	4359.67	22931.09	3d 2D_2 (1D) — 5p 2P_2 (1D)
15	4609.60	21687.80	4s 2D_3 (1D) — 4p 2F_4 (1D)	1	4338.24	23044.37	4p 4S_2 (3P) — 3d 2S_1 (1D)
5	4598.77	21738.88	3d 2D_2 (3P) — 4p 2P_2 (1D)	6	4337.10	23050.42	4p 2P_1 (1D) — 3d 2D_2 (1S)
2	4593.44	21764.10	4p 4D_2 (3P) — a 2P_1	3	4309.25	23199.39	4s 2S_1 (1S) — 5p 2D_2 (3P)
9	4589.93	21780.74	4s 2D_2 (1D) — 4p 2F_3 (1D)	2	4309.11	23200.15	3d 2F_3 (3P) — 4p 2D_2 (1D)
0	4588.42	21787.91	3d 2P_1 (1D) — 5p 2D_2 (1D)	6	4300.66	23245.73	3d 2F_3 (3P) — 4p 2D_3 (1D)
1	4572.92	21861.76	4p 2S_1 (3P) — 5s 4P_1 (3P)	5	4297.99	23260.17	3d 2D_2 (1D) — 5p 2P_1 (1D)
4	4561.03	21918.75	4p 4D_3 (3P) — a 2P_2	8	4277.55	23371.31	4s 2D_3 (1D) — 4p 2P_2 (1D)
1. u	4538.73	22026.44	4p 2F_4 (1D) — 4d 2D_3 (3P)	0	4267.73	23425.09	3d 2D_3 (1D) — 5p 2P_2 (1D)
4	4537.67	22031.58	3d 2D_2 (1D) — 5p 2F_3 (1D)	2. u	4243.71	23557.68	4p 2D_2 (3P) — 5s 4P_1 (3P)
4	4530.57	22066.11	3d 2F_3 (3P) — 4p 2P_2 (1D)	7	4237.23	23593.70	4s 2D_2 (1D) — 4p 2P_2 (1D)
5	4498.55	22223.17	3d 2P_2 (1D) — 5p 2D_3 (1D)	4	4227.02	23650.69	4p 2P_2 (1D) — 3d 2D_3 (1S)
5	4490.99	22260.58	3d 2D_3 (3P) — 4p 2D_2 (1D)	2	4226.65	23652.76	4p 2P_2 (1D) — 3d 2D_2 (1S)
8	4481.83	22306.08	3d 2D_3 (3P) — 4p 2D_3 (1D)	2	4201.58	23793.88	4p 4D_1 (3P) — 5s 4P_2 (3P)
0. u	4480.85	22310.95	4p 2F_3 (1D) — 4d 2D_2 (3P)	3	4199.93	23803.24	3d 2D_2 (1D) — 5p 2D_3 (1D)
6	4474.77	22341.27	3d 2D_2 (3P) — 4p 2P_1 (1D)	1. u	4147.43	24104.54	4s 4P_1 (3P) — 4p 2P_1 (3P)
6	4448.88	22471.28	4p 2D_3 (1D) — 3d 2D_3 (1S)	8	4131.73	24196.13	4s 2D_2 (1D) — 4p 2P_1 (1D)
1	4448.47	22473.35	4p 2D_3 (1D) — 3d 2D_2 (1S)	00. u	4127.09	24223.34	4p 4P_1 (3P) — a 2P_1
3	4440.09	22515.77	4p 2D_2 (1D) — 3d 2D_3 (1S)	0	4124.09	24009.64	4p 4P_2 (3P) — a 2P_2
1	4438.12	22525.76	3d 2D_3 (1D) — 5p 2F_3 (1D)	4	4116.39	24286.30	3d 2D_3 (1D) — 5p 2D_2 (1D)
3	4439.45	22519.01	4p 2D_2 (1D) — 3d 2D_2 (1S)	2	4114.52	24297.34	3d 2D_3 (1D) — 5p 2D_3 (1D)

TABLE 6 (Continued)

Int	λ I.Å	$\nu_{vac.}$	Termcombination	Int	λ I.Å	$\nu_{vac.}$	Termcombination
3	4099.47	24386.54	$4p^2P_1$ (3P) — $3d^2S_1$ (1D)	4	3753.53	26634.05	$4p^2D_2$ (1D) — $4d^2P_2$ (1D)
3	4097.15	24400.35	$4s^2S_1$ (1S) — $5p^2S_1$ (3P)	0	3751.06	26651.58	$4p^2P_2$ (3P) — $4d^4P_3$ (3P)
000	4096.47	24404.40	$4p^2D_2$ (3P) — $4d^4D_3$ (3P)	4	3746.46	26684.31	$4p^2D_2$ (1D) — $6s^2P_2$ (3P)?
5	4079.60	24505.31	$4s^2D_3$ (1D) — $4p^2D_2$ (1D)	0	3741.21	26721.75	$4p^2D_3$ (3P) — $4d^4P_3$ (3P)
9	4072.01	24550.99	$4s^2D_3$ (1D) — $4p^2D_3$ (1D)	6	3737.89	26745.49	$4p^2D_3$ (1D) — $4d^2F_4$ (1D)
0. u	4057.72	24637.45	$4s^4P_1$ (3P) — $4p^2P_2$ (3P)	0. u	3733.36	26777.94	$4p^2D_2$ (3P) — $4d^4P_1$ (3P)
0	4053.56	24662.73	$4p^4D_1$ (3P) — $5s^2P_2$ (3P)	4	3724.51	26841.56	$4p^2D_3$ (1D) — $4d^2F_3$ (1D)
5	4052.94	24666.50	$4s^2S_1$ (1S) — $4p^2P_2$ (1S)	6	3718.21	26887.04	$4p^2D_2$ (1D) — $4d^2F_3$ (1D)
3	4047.51	24699.60	$4p^2D_2$ (3P) — $3d^2S_1$ (1D)	2	3713.03	26924.55	$4p^2P_2$ (1D) — $6s^4P_2$ (3P)?
8	4042.91	24727.70	$4s^2D_2$ (1D) — $4p^2D_2$ (1D)	4	3706.94	26968.78	$3d^4D_1$ (3P) — $4p^2P_1$ (3P)
1	4042.20	24732.04	$3d^2P_2$ (3P) — $4p^2F_3$ (1D)	0. u	3692.33	27075.49	$3d^4D_2$ (3P) — $4p^2P_1$ (3P)
6	4035.47	24773.29	$4s^2D_2$ (1D) — $4p^2D_3$ (1D)	4	3682.56	27147.32	$3d^2P_2$ (3P) — $4p^2P_1$ (1D)
1	4007.66	24945.19	$4p^2D_3$ (3P) — $4d^4D_4$ (3P)	5	3680.06	27165.76	$4p^2P_1$ (1D) — $4d^2P_2$ (1D)
5	3994.81	25025.43	$4s^2S_1$ (1S) — $4p^2P_1$ (1S)	4	3673.26	27216.05	$4p^2P_1$ (1D) — $6s^2P_2$ (3P)?
7	3946.10	25334.33	$4p^2F_4$ (1D) — $3d^2D_3$ (1S)	3	3671.01	27232.73	$4p^2P_2$ (1D) — $4d^2P_1$ (1D)
0	3933.19	25417.49	$4p^4D_3$ (3P) — $5s^2P_2$ (3P)	6	3660.44	27311.37	$4p^2P_2$ (1D) — $4d^2D_2$ (1D)
3	3925.71	25465.91	$4p^2F_3$ (1D) — $3d^2D_2$ (1S)	6	3655.29	27349.85	$4p^2P_2$ (3P) — $4d^2F_3$ (3P)
1. u	3922.54	25486.49	$\left\{ \begin{array}{l} 4s^4P_1$ (3P) — $4p^2S_1$ (3P) \\ 4p^4D_1 (3P) — $5s^2P_1$ (3P) \end{array} \right.	7	3639.85	27465.86	$4p^2P_2$ (1D) — $4d^2D_3$ (1D)
2	3895.26	25664.98	$4p^4D_1$ (3P) — $3d^2S_1$ (1D)	00. u	3635.13	27501.52	$3d^4D_1$ (3P) — $4p^2P_2$ (3P)
00. u	3893.14	25678.96	$4p^4S_2$ (3P) — $5s^2D_3$ (1D)	4	3634.83	27503.79	$3d^2P_1$ (3P) — $4p^2P_2$ (1D)
1	3856.16	25924.21	$4p^4D_2$ (3P) — $3d^2S_1$ (1D)	0	3621.06	27608.38	$3d^4D_2$ (3P) — $4p^2P_2$ (3P)
0	3855.18	25931.80	$4p^2P_2$ (3P) — $4d^4P_1$ (3P)	0	3620.82	27610.21	$3d^4F_2$ (3P) — $4p^2D_3$ (3P)
5	3830.43	26099.35	$4p^2D_2$ (1D) — $4d^2P_1$ (1D)	4	3611.84	27678.85	$3d^2P_2$ (3P) — $4p^2D_2$ (1D)
5	3825.70	26131.62	$4p^2D_3$ (1D) — $4d^2D_2$ (1D)	6	3605.89	27724.53	$3d^2P_2$ (3P) — $4p^2D_3$ (1D)
4	3819.04	26177.19	$4p^2D_2$ (1D) — $4d^2D_2$ (1D)	4	3601.51	27758.24	$3d^4D_3$ (3P) — $4p^2P_2$ (3P)
1	3811.22	26230.90	$4p^2P_2$ (3P) — $4d^4P_2$ (3P)	3	3600.22	27768.19	$4p^2P_2$ (1D) — $4d^2P_2$ (1D)
6	3803.19	26286.28	$4p^2D_2$ (1D) — $4d^2D_3$ (1D)	00. u	3594.41	27813.07	$3d^2F_4$ (3P) — $4p^2F_4$ (1D)
4	3796.60	26331.91	$4p^2D_3$ (1D) — $4d^2D_3$ (1D)	00. u	3593.76	27818.10	$4p^2P_2$ (1D) — $6s^2P_2$ (3P)
2	3777.55	26464.70	$4p^2P_1$ (3P) — $4d^4P_1$ (3P)	00. u	3570.77	27997.20	$4p^2D_3$ (3P) — $5s^2D_3$ (1D)
5	3766.13	26544.94	$3d^2P_2$ (3P) — $4p^2P_2$ (1D)	1	3569.94	28003.71	$4p^4D_2$ (3P) — $4d^4P_1$ (3P)
3	3754.06	26630.29	$4p^2P_1$ (1D) — $4d^2P_1$ (1D)	1. u	3567.78	28020.66	$4p^2P_2$ (1D) — $4d^2F_3$ (1D)

TABLE 6 *Continued*)

Int	λ I.Å	$\nu_{vac.}$	Termcombination	Int	λ I.Å	$\nu_{vac.}$	Termcombination
4	3562.19	28064.63	4p 2F_4 (1D) — 4d 2G_4 (1D)	3	3186.19	31376.40	4p 4P_2 (3P) — 5s 2D_3 (1D)
6	3561.04	28073.69	4p 2F_4 (1D) — 4d 2G_5 (1D)	1	3163.61	31600.34	4p 2P_1 (1D) — 5d 2P_2 (3P)
5	3556.91	28106.29	3d 2P_1 (3P) — 4p 2P_1 (1D)	4	3161.38	31622.63	4p 2S_1 (3P) — 4d 2D_2 (3P)
4	3550.03	28160.76	4p 2D_3 (3P) — 4d 4P_3 (3P)	4	3153.80	31698.63	4p 2P_1 (1D) — 5d 2P_1 (3P)
9	3545.84	28194.03	4p 2F_3 (1D) — 4d 2G_4 (1D)	2	3146.47	31772.48	4p 4P_3 (3P) — 4d 2F_4 (3P)
2	3531.22	28310.76	3d 4D_1 (3P) — 4p 4S_2 (3P)	4	3137.66	31861.68	4p 2D_3 (3P) — 4d 2P_2 (3P)
4	3521.98	28385.04	4p 4P_1 (3P) — 3d 2S_1 (1D)	000.u	3108.82	32157.25	4s 2P_2 (3P) — 4p 2F_3 (1D)
4	3490.89	28637.82	3d 2P_1 (3P) — 4p 2D_2 (1D)	5	3104.38	32203.24	4p 2P_2 (1D) — 5d 2P_2 (3P)
3	3487.33	28667.06	4p 4D_3 (3P) — 4d 4F_2 (3P)	3	3094.98	32301.04	4p 2P_2 (1D) — 5d 2P_1 (3P)
4	3478.24	28741.97	4p 4P_2 (3P) — 3d 2S_1 (1D)	8	3093.41	32317.43	4p 2P_2 (3P) — 4d 2D_3 (3P)
2	3471.59	28797.03	4p 4D_3 (3P) — 4d 4P_2 (3P)	5	3088.24	32371.53	4p 2P_2 (1D) — 5d 2D_3 (3P)
3	3465.80	28845.14	4p 2S_1 (3P) — 4d 2P_1 (3P)	4	3082.99	32426.66	4p 2P_1 (1D) — 4d 2S_1 (1D)
6	3464.14	28858.96	4p 2D_3 (3P) — 4d 2F_3 (3P)	6	3033.52	32955.44	4s 2P_1 (3P) — 4p 2P_2 (1D)
000.u	3438.14	29077.19	4p 4D_3 (3P) — 5s 2D_2 (1D)	6	3028.93	33005.38	4p 2P_1 (3P) — 4d 2D_2 (3P)
2	3432.64	29123.78	4p 2F_3 (1D) — 4d 2D_2 (1D)	4	3026.75	33029.15	4p 2P_2 (1D) — 4d 2S_1 (1D)
3	3429.64	29149.25	4p 2F_4 (1D) — 4d 2D_3 (1D)	5	3014.49	33163.47	4p 2D_2 (3P) — 4d 2D_3 (3P)
3	3414.46	29278.84	4p 2F_3 (1D) — 4d 2D_3 (1D)	5	3000.45	33318.65	4p 2D_2 (3P) — 4d 2D_2 (3P)
4	3397.89	29421.62	4p 4D_2 (3P) — 4d 2F_3 (3P)	6	2979.05	33557.99	4s 2P_1 (3P) — 4p 2P_1 (1D)
2. u	3379.48	29581.88	4p 2F_3 (1D) — 4d 2P_2 (1D)	5	2955.39	33826.63	4p 2D_3 (3P) — 4d 2D_3 (3P)
7	3376.46	29608.34	4p 2F_4 (1D) — 4d 2F_4 (1D)	8	2942.90	33970.18	4s 2P_2 (3P) — 4p 2P_2 (1D)
2. u	3373.87	29631.07	4p 2F_3 (1D) — 6s 2P_2 (3P)	2	2935.57	34055.00	4p 2F_4 (1D) — 5d 2D_3 (3P)
4	3365.54	29704.41	4p 2F_4 (1D) — 4d 2F_3 (1D)	4	2932.60	34089.49	4s 2P_1 (3P) — 4p 2D_2 (1D)
3	3361.73	29738.08	4p 2F_3 (1D) — 4d 2F_4 (1D)	4	2924.66	34182.30	4p 2F_3 (1D) — 5d 2D_3 (3P)
6	3350.94	29833.83	4p 2F_3 (1D) — 4d 2F_3 (1D)	5	2891.61	34572.70	4s 2P_2 (3P) — 4p 2P_1 (1D)
2	3341.77	29915.69	4p 4D_3 (3P) — 4d 2F_3 (3P)	4	2865.85	34883.44	4p 4P_1 (3P) — 4d 2P_2 (3P)
2	3269.05	30581.14	4p 4P_3 (3P) — 4d 4F_4 (3P)	2	2847.81	35104.41	4s 2P_2 (3P) — 4p 2D_2 (1D)
3	3222.42	31023.65	4p 2D_3 (1D) — 5d 2P_2 (3P)	2	2844.12	35149.95	4s 2P_2 (3P) — 4p 2D_3 (1D)
3	3221.64	31031.16	4p 4P_3 (3P) — 4d 4F_3 (3P)	00	2836.79	35240.77	4s 4P_3 (3P) — 4d 2P_3 (3P)
3	3217.70	31069.16	4p 2D_2 (1D) — 5d 2P_2 (3P)	3	2764.66	36160.15	4s 4P_3 (3P) — 4p 2F_3 (1D)
4	3207.61	31166.89	4p 2D_2 (1D) — 5d 2P_1 (3P)	1	2754.91	36288.12	4s 4P_2 (3P) — 4p 2F_4 (1D)
4	3205.03	31191.97	4p 2D_3 (1D) — 5d 2D_3 (3P)	4	2692.62	37127.55	4s 4P_2 (3P) — 4p 2P_2 (1D)

TABLE 6 (Continued)

Int	λ I.Å	$\nu_{vac.}$	Termcombination	Int	λ I.Å	$\nu_{vac.}$	Termcombination
0. u	2649.62	37730.04	4s ² P ₂ (³ P) — 4p ² P ₁ (¹ D)	2	2475.48	40384.00	4p ² P ₂ (³ P) — 6s ² P ₁ (³ P)
3	2647.29	37763.25	4p ⁴ S ₂ (³ P) — 6s ⁴ P ₃ (³ P)	00	2463.03	40588.12	4p ² D ₂ (³ P) — 4d ² P ₂ (¹ D)
00	2636.41	37919.08	3d ⁴ D ₃ (³ P) — 4p ² F ₃ (¹ D)	2	2459.97	40638.60	4p ² D ₂ (³ P) — 6s ² P ₂ (³ P)
1	2627.41	38048.96	3d ⁴ D ₃ (³ P) — 4p ² F ₄ (¹ D)	000. u	2459.63	40644.22	4p ⁴ D ₂ (³ P) — 6s ⁴ P ₃ (³ P)
2	2624.63	38089.26	4p ⁴ S ₂ (³ P) — 6s ⁴ P ₂ (³ P)	00	2447.77	40841.13	4p ² D ₂ (³ P) — 4d ² F ₃ (¹ D)
0	2616.87	38202.20	3d ⁴ D ₄ (³ P) — 4p ² F ₄ (¹ D)	00	2443.24	40916.85	4p ² P ₁ (³ P) — 6s ² P ₁ (³ P)
1	2570.01	38898.71	4p ² P ₂ (³ P) — 6s ⁴ P ₂ (³ P)	00	2441.33	40948.86	4p ² D ₃ (³ P) — 4d ² D ₃ (¹ D)
00. u	2567.15	38942.04	4p ² S ₁ (³ P) — 6s ² P ₂ (³ P)	1	2440.07	40970.00	4p ⁴ D ₂ (³ P) — 6s ⁴ P ₂ (³ P)
3	2564.45	38983.04	4p ⁴ S ₂ (³ P) — 6s ² P ₂ (³ P)	2	2430.06	41138.76	4p ⁴ D ₃ (³ P) — 6s ⁴ P ₃ (³ P)
4	2562.12	39018.59	3d ² D ₃ (³ P) — 5p ² P ₂ (³ P)	1	2424.70	41229.69	4p ² D ₂ (³ P) — 6s ² P ₁ (³ P)
2	2559.31	39061.32	4p ⁴ S ₂ (³ P) — 6s ⁴ P ₂ (³ P)	3	2420.49	41301.39	4p ² D ₃ (³ P) — 6s ² P ₂ (³ P)
2	2556.63	39102.26	4p ² S ₁ (³ P) — 6s ⁴ P ₁ (³ P)	2	2414.26	41407.96	4p ² D ₃ (³ P) — 4d ² F ₄ (¹ D)?
00	2553.44	39151.12	4s ⁴ P ₃ (³ P) — 4p ² D ₃ (¹ D)	2	2410.97	41464.46	4p ⁴ D ₃ (³ P) — 6s ⁴ P ₂ (³ P)
4	2536.04	39419.72	3d ² D ₃ (³ P) — 5p ² D ₂ (³ P)	3	2404.40	41577.76	4p ⁴ D ₄ (³ P) — 6s ⁴ P ₃ (³ P)
1	2535.28	39431.53	4p ² P ₁ (³ P) — 6s ⁴ P ₂ (³ P)	1	2398.39	41681.93	4p ⁴ D ₁ (³ P) — 6s ⁴ P ₁ (³ P)
2	2528.71	39533.97	4p ² S ₁ (³ P) — 6s ² P ₁ (³ P)	5	2387.96	41863.98	4p ⁴ D ₂ (³ P) — 6s ² P ₂ (³ P)
00. u	2526.15	39574.03	4p ⁴ S ₂ (³ P) — 6s ² P ₁ (³ P)	5	2383.50	41942.30	4p ⁴ D ₂ (³ P) — 6s ⁴ P ₁ (³ P)
2	2522.53	39630.82	3d ² D ₂ (³ P) — 5p ² P ₂ (³ P)	1	2369.28	42194.01	4p ⁴ D ₁ (³ P) — 6s ² P ₁ (³ P)
4	2516.81	39720.88	4d ² D ₂ (³ P) — 5p ² P ₁ (³ P)	5	2360.07	42358.65	4p ⁴ D ₃ (³ P) — 6s ² P ₂ (³ P)
3	2515.60	39739.99	4p ² P ₁ (³ P) — 4d ² P ₁ (¹ D)	2	2354.79	42453.63	4p ⁴ D ₂ (³ P) — 6s ² P ₁ (³ P)
0	2515.29	39744.89	4p ² D ₂ (³ P) — 6s ⁴ P ₂ (³ P)	1	2317.77	43131.64	4s ² D ₃ (¹ D) — 4p ² P ₂ (¹ S)
0	2512.27	39792.66	4p ² P ₂ (³ P) — 6s ² P ₂ (³ P)	3	2300.19	43461.26	4p ⁴ P ₂ (³ P) — 6s ⁴ P ₃ (³ P)
0. u	2507.34	39870.89	4p ² P ₂ (³ P) — 6s ⁴ P ₁ (³ P)	3	2284.02	43768.92	4p ⁴ P ₃ (³ P) — 6s ⁴ P ₃ (³ P)
0	2501.86	39958.22	3d ² F ₃ (³ P) — 5p ² P ₂ (³ P)	4	2282.64	43795.37	3d ² D ₃ (³ P) — 5p ² F ₄ (¹ D)
1	2499.55	39995.15	4p ² P ₂ (³ P) — 4d ² F ₃ (¹ D)	2	2252.26	44386.06	3d ² D ₂ (³ P) — 5p ² F ₃ (¹ D)
0	2497.25	40031.98	3d ² D ₂ (³ P) — 5p ² D ₂ (³ P)	5	2235.77	44713.39	3d ² F ₃ (³ P) — 5p ² F ₃ (¹ D)
00	2495.95	40052.83	4p ² D ₂ (³ P) — 4d ² P ₁ (¹ D)	1	2229.5	44839.13	3d ² P ₂ (³ P) — 5p ² D ₂ (³ P)
2	2482.17	40275.17	4p ² P ₁ (³ P) — 4d ² P ₂ (¹ D)	2. u	2182.74	45799.59	3d ² P ₁ (³ P) — 5p ² D ₂ (³ P)?
2	2479.08	40325.36	4p ² P ₁ (³ P) — 6s ² P ₂ (³ P)	6	2171.41	46038.54	3d ² P ₂ (³ P) — 5p ² S ₁ (³ P)
00	2476.99	40359.39	3d ² F ₃ (³ P) — 5p ² D ₂ (³ P)	0	2127.1	46997.46	3d ² P ₁ (³ P) — 5p ² S ₁ (³ P)

TABLE 7.

Ar II-spectrum in the extreme violet.

Int.	$\lambda_{obs.}$	ν	Termcombination	$\lambda_{calc.}$
2	762.37	131170	$3p \ ^2P_1 \ (^3P) - 3d \ ^4D_2 \ (^3P)$	762.39
4	754.99	132452	$3p \ ^2P_2 \ (^3P) - 3d \ ^4D_3 \ (^3P)$	755.01
1	748.39	133620	$3p \ ^2P_1 \ (^3P) - 4s \ ^4P_2 \ (^3P)$	748.38
8 d.	745.22	134189	$\left. \begin{array}{l} 3p \ ^2P_2 \ (^3P) - 4s \ ^4P_3 \ (^3P) \\ 3p \ ^2P_1 \ (^3P) - 4s \ ^4P_1 \ (^3P) \end{array} \right\}$	$\begin{array}{l} 745.11 \\ 745.51 \end{array}$
5	740.45	135053	$3p \ ^2P_2 \ (^3P) - 4s \ ^4P_2 \ (^3P)$	740.45
3	731.10	136780	$3p \ ^2P_1 \ (^3P) - 4s \ ^2P_2 \ (^3P)$	731.11
5	725.73	137792	$3p \ ^2P_1 \ (^3P) - 4s \ ^2P_1 \ (^3P)$	725.72
6	723.54	138209	$3p \ ^2P_2 \ (^3P) - 4s \ ^2P_2 \ (^3P)$	723.54
4	718.29	139219	$3p \ ^2P_2 \ (^3P) - 4s \ ^2P_1 \ (^3P)$	718.26
3	704.72	141900	$3p \ ^2P_1 \ (^3P) - 3d \ ^4F_2 \ (^3P)$	704.69
4	699.00	143062	$3p \ ^2P_2 \ (^3P) - 3d \ ^4F_3 \ (^3P)$	698.94
2	698.19	143227	$3p \ ^2P_1 \ (^3P) - 3d \ ^2P_1 \ (^3P)$	698.10
1	697.82	143303	$3p \ ^2P_2 \ (^3P) - 3d \ ^4F_2 \ (^3P)$	697.65
4	693.55	144186	$3p \ ^2P_1 \ (^3P) - 3d \ ^2P_2 \ (^3P)$	693.46
1 $\frac{1}{2}$	691.29	144657	$3p \ ^2P_2 \ (^3P) - 3d \ ^2P_1 \ (^3P)$	691.19
2	686.73	145618	$3p \ ^2P_2 \ (^3P) - 3d \ ^2P_2 \ (^3P)$	686.64
6	679.59	147148	$3p \ ^2P_1 \ (^3P) - 4s \ ^2D_2 \ (^1D)$	679.55
0	673.13	148560	$3p \ ^2P_2 \ (^3P) - 4s \ ^2D_2 \ (^1D)$	673.01
6	672.03	148803	$3p \ ^2P_2 \ (^3P) - 4s \ ^2D_3 \ (^1D)$	672.00
6	671.21	148985	$3p \ ^2P_1 \ (^3P) - 3d \ ^2D_2 \ (^3P)$	671.09
5	666.23	150098	$3p \ ^2P_2 \ (^3P) - 3d \ ^2F_3 \ (^3P)$	666.16
2	664.84	150412	$3p \ ^2P_2 \ (^3P) - 3d \ ^2D_2 \ (^3P)$	664.71
6	662.11	151032	$3p \ ^2P_2 \ (^3P) - 3d \ ^2D_3 \ (^3P)$	662.01
2	603.11	165817	$3p \ ^2P_1 \ (^3P) - 4s \ ^2S_1 \ (^1S)$	602.98
3	597.92	167246	$3p \ ^2P_2 \ (^3P) - 4s \ ^2S_1 \ (^1S)$	597.89
1 $\frac{1}{2}$	584.53	171078	$3p \ ^2P_2 \ (^3P) - 3d \ ^2F_3 \ (^1D)$	584.53
3	583.65	171335	$3p \ ^2P_1 \ (^3P) - 3d \ ^2D_2 \ (^1D)$	583.55
5	580.47	172264	$3p \ ^2P_2 \ (^3P) - 3d \ ^2D_3 \ (^1D)$	580.38
1 $\frac{1}{2}$	578.81	172768	$3p \ ^2P_2 \ (^3P) - 3d \ ^2D_2 \ (^1D)$	578.71

TABLE 7 (Continued).

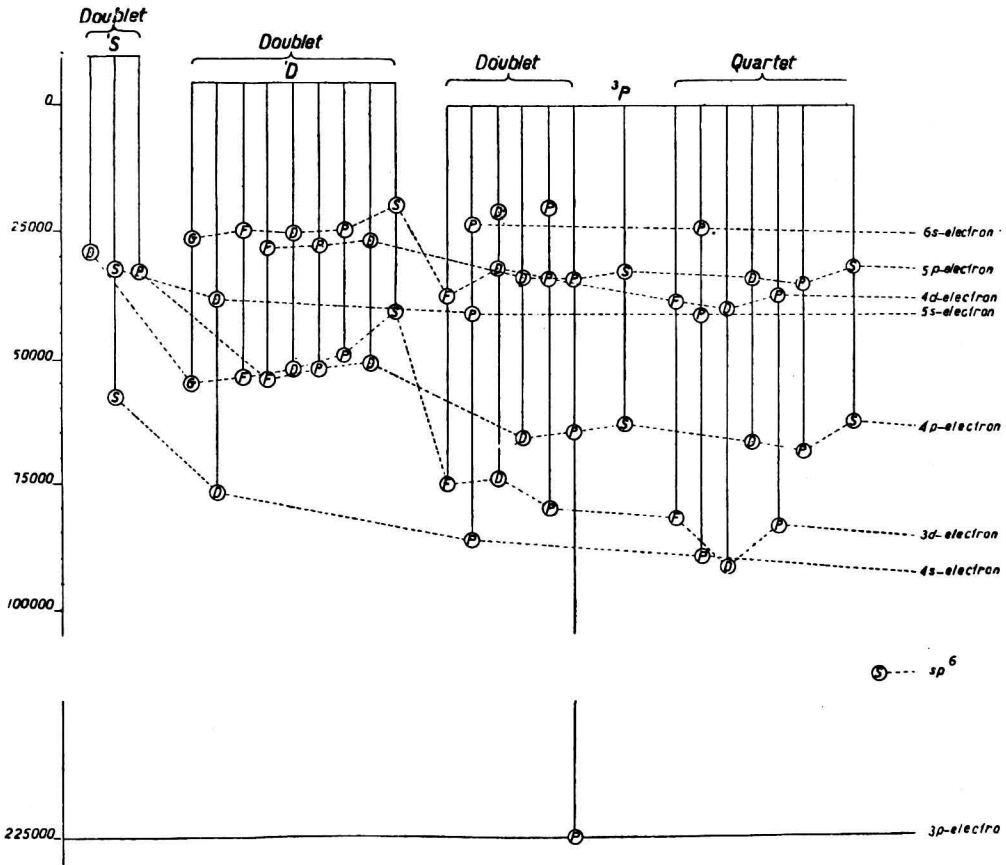
Int.	$\lambda_{obs.}$	ν	Termcombination	$\lambda_{calc.}$
1 ^{1/2}	578.34	172909	3p ² P ₁ (³ P) — 3d ² P ₂ (¹ D)	578.22
2	576.93	173331	3p ² P ₁ (³ P) — 3d ² P ₁ (¹ D)	576.91
4	573.55	174353	3p ² P ₂ (³ P) — 3d ² P ₂ (¹ D)	573.47
1	572.20	174764	3p ² P ₂ (³ P) — 3d ² P ₁ (¹ D)	572.08
3	560.38	178450	3p ² P ₁ (³ P) — a ² P ₁	560.33
3	557.02	179530	3p ² P ₂ (³ P) — a ² P ₂	556.92
1	548.92	182176	3p ² P ₂ (³ P) — 5s ⁴ P ₂ (³ P)	548.88
4	547.54	182635	3p ² P ₁ (³ P) — 3d ² S ₁ (¹ D)	547.56
2	546.36	183038	3p ² P ₂ (³ P) — 5s ² P ₂ (³ P)	546.28
1	543.96	183837	3p ² P ₂ (³ P) — 5s ² P ₁ (³ P)	543.83
5	543.33	184050	3p ² P ₂ (³ P) — 3d ² S ₁ (¹ D)	543.30
1	537.18	186157	3p ² P ₂ (³ P) — 4d ⁴ P ₁ (³ P)	537.23
1	530.65	188448	3p ² P ₁ (³ P) — 4d ² P ₁ (³ P)	530.59
0	526.54	189919	3p ² P ₂ (³ P) — 4d ² P ₁ (³ P)	526.59
3	524.83	190538	3p ² P ₂ (³ P) — 4d ² P ₂ (³ P)	524.77
2	522.93	191231	3p ² P ₁ (³ P) — 4d ² D ₂ (³ P)	522.88
4	519.47	192504	3p ² P ₂ (³ P) — 4d ² D ₃ (³ P)	519.42
1	514.43	194390	3p ² P ₁ (³ P) — 3d ² D ₂ (¹ S)	514.40
3	510.68	195817	3p ² P ₂ (³ P) — 3d ² D ₃ (¹ S)	510.64
0	503.78	198499	3p ² P ₁ (³ P) — 4d ² P ₂ (¹ D)	503.73
0	502.20	199124	{ 3p ² P ₁ (³ P) — 6s ² P ₁ (³ P) 3p ² P ₂ (³ P) — 6s ⁴ P ₂ (³ P)	{ 502.11 502.26
2	490.76	203766	3p ² P ₁ (³ P) — 4d ² S ₁ (¹ D)	490.73
0	489.26	204390	3p ² P ₂ (³ P) — 5d ² P ₂ (³ P)	489.27
2. d	488.88	204549	{ 3p ² P ₂ (³ P) — 5d ² P ₁ (³ P) 3p ² P ₂ (³ P) — 5d ² D ₃ (³ P)	{ 489.04 488.88
2	487.27	205225	3p ² P ₂ (³ P) — 4d ² S ₁ (¹ D)	487.30

Only the lines :

4	678.17	147456
5	676.48	147824
4	612.59	163241

of the extreme violet spectrum find no explanation.

simplicity the fine structure of the levels (splitting according the inner quantum numbers j) is not given.



Energylevels in the ionized Argonatom, Ar II.

4. Summary.

The analysis of the Ar. II spectrum has been extended by the detection of a large number new levels, which belong to three term systems corresponding with the 3P , 1D and 1S of the ion Ar^{++} . A list of 360 new classified lines have been added to the list of 180 lines already classified. The Ar. II-spectrum shows very interesting data for the theory of the series limits and inverted and not inverted terms.

In conclusion the author wishes to express thanks to Prof. P. ZEEMAN for valuable advice and suggestions.

Laboratory "Physica" of the University of Amsterdam.

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